|  | Depa Math |  | INDIAN SCHOOL AL WADI AL KABIR <br> Class IX, Mathematics MCQ- Introduction To Euclid's Geometry |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| MULTIPLE CHOICE QUESTIONS |  |  |  |  |  |  |  |  |
| Q.1. | What is the minimum number of lines required to make a closed figure? |  |  |  |  |  |  |  |
|  | A | One | B | Two | C | Three | D | Four |
| Q.2. | Euclid stated, If equals are added to equals the wholes are equal in the form of: |  |  |  |  |  |  |  |
|  | A | A Theorem | B | A Definition | C | An Axiom | D | None of these |
| Q.3. | How many dimensions does a surface has? |  |  |  |  |  |  |  |
|  | A | one | B | two | C | three | D | four |
| Q.4. | Which of the following are boundaries of a surface? |  |  |  |  |  |  |  |
|  | A | lines | B | curves | C | surfaces | D | points |
| Q.5. | John is of the same age as Mohan. Ram is also of the same age as Mohan. State the Euclid's axiom that illustrates the relative ages of John and Ram: |  |  |  |  |  |  |  |
|  | A | First Axiom | B | Second Axiom | C | Third Axiom | D | Fourth Axiom |
| Q.6. | If a straight line falling on two straight lines makes the interior angles on the same side of it, whose sum is $120^{\circ}$, then the two straight lines, if produced indefinitely, meet on the side on which the sum of angles is: |  |  |  |  |  |  |  |
|  | A | less than $120^{\circ}$ | B | greater than $120^{\circ}$ | C | equal to $120^{\circ}$ | D | greater than $180^{\circ}$ |
| Q.7. | The three steps from solids to points are: |  |  |  |  |  |  |  |
|  | A | Solids - surfaces <br> - lines - points | B | Solids - lines surfaces - points | C | Lines - points surfaces - solids | D | Lines - surfaces points - solids |


| Q.8. | The total number of propositions in the Elements are: |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | A | 465 | B | 460 | C | 13 | D | 55 |
| Q.9. | A pyramid is a solid figure, the base of which is: |  |  |  |  |  |  |  |
|  | A | only a triangle | B | only a square | C | only a rectangle | D | any polygon |
| Q.10. | Greek's emphasized on: |  |  |  |  |  |  |  |
|  | A | Inductive reasoning | B | Deductive reasoning | C | Both A and B | D | Practical use of geometry |
| Q.11. | The first known proof that 'the circle is bisected by its diameter' was given by: |  |  |  |  |  |  |  |
|  | A | Pythagoras | B | Thales | C | Euclid | D | Hypatia |
| Q.12. | For every line ' $l$ ' and a point P not lying on it, the number of lines that passes through P and parallel to ' $l$ ' are: |  |  |  |  |  |  |  |
|  | A | one | B | two | C | three | D | no line |
| Q.13. | The things which are double of the same thing are: |  |  |  |  |  |  |  |
|  | A | equal to one another | B | unequal | C | halves of the same thing | D | double of the same thing |
| Q.14. | Axioms are assumed: |  |  |  |  |  |  |  |
|  | A | universal truths in all branches of mathematics | B | universal truths specific to geometry | C | theorems | D | definitions |
| Q.15. | The number of dimension(s), a point has: |  |  |  |  |  |  |  |
|  | A | 0 | B | 1 | C | 2 | D | 3 |
| Q.16. | It is known that if $\mathrm{x}+\mathrm{y}=10$ then $\mathrm{x}+\mathrm{y}+\mathrm{z}=10+\mathrm{z}$. The Euclid's axiom that illustrates this statement is: |  |  |  |  |  |  |  |
|  | A | First Axiom | B | Second Axiom | C | Third Axiom | D | Fourth Axiom |
| Q.17. | Which of the following needs a proof? |  |  |  |  |  |  |  |
|  | A | Theorem | B | Axiom | C | Definition | D | Postulate |


| Q.18. | For solving the equation, $\mathrm{a}-15=25$, the Euclid s axiom used is: |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | A | First Axiom | B | Second Axiom | C | Third Axiom | D | Fourth Axiom |
| Q.19. | If the point P lies between M and N and Cis the midpoint of MP then: |  |  |  |  |  |  |  |
|  | A | $\mathrm{MP}+\mathrm{CP}=\mathrm{MN}$ | B | $\mathrm{MC}+\mathrm{CP}=\mathrm{MN}$ | C | $\mathrm{MC}+\mathrm{PN}=\mathrm{MN}$ | D | $\mathrm{CN}+\mathrm{CP}=\mathrm{MN}$ |
| Q.20. | If $2 \mathrm{x}=2 \mathrm{y}$ and $\mathrm{y}=\mathrm{z}$, then: |  |  |  |  |  |  |  |
|  | A | $y>z$ | B | z> x | C | $\mathrm{x}=\mathrm{z}$ | D | none |
| Q.21. | It is known that $\mathrm{a}+\mathrm{b}=4$, then $2(\mathrm{a}+\mathrm{b})=8$. The Euclid's axiom which illustrate this statement is: |  |  |  |  |  |  |  |
|  | A | First Axiom | B | Second Axiom | C | Sixth Axiom | D | Seventh Axiom |
| Q.22. | In the figure, if $\mathrm{AB}=\mathrm{BC}$ and $\mathrm{BX}=\mathrm{BY}$, then: |  |  |  |  |  |  |  |
|  | A | $B X=C Y$ | B | $\mathrm{AX}=\mathrm{CY}$ | C | $B Y=A X$ | D | $A X=B X$ |
| Q.23. | If $\angle \mathrm{A}=\angle \mathrm{B}$ and $\angle \mathrm{B}=\angle \mathrm{C}$, Euclid's axiom that establishes the relation between $\angle \mathrm{A}$ and $\angle \mathrm{C}$ is: |  |  |  |  |  |  |  |
|  | A | First Axiom | B | Second Axiom | C | Third Axiom | D | Fourth Axiom |
| Answers |  |  |  |  |  |  |  |  |
| $\begin{aligned} & 6 \\ & \vdots \\ & 3 \\ & 6 \\ & \text { B } \\ & \hline \end{aligned}$ | 1 | C | 2 | C | 3. | B | 4 | A |
|  | 5 | A | 6 | C | 7 | A | 8 | A |
|  | 9 | D | 10 | B | 11 | B | 12 | A |
|  | 13 | A | 14 | A | 15 | A | 16 | B |
|  | 17 | A | 18 | B | 19 | D | 20 | C |
|  | 21 | C | 22 | B | 23 | A |  |  |

